

$$f(x) = \frac{x^2 + 2}{x - 1} \quad g(x) = \sqrt{8 - x} \quad f: x \neq 1, -1$$

$$g: \begin{array}{l} + \\ 0 \\ \cdot \\ 8 \end{array}$$

$$\text{Find } f \circ g = \frac{(\sqrt{8-x})^2 + 2}{(\sqrt{8-x})^2 - 1} = \frac{8-x+2}{8-x-1} = \frac{10-x}{7-x} \quad x \neq 7$$



$$5(a) \quad f(x) = \frac{5x+1}{2x-9}$$

Find $f'(x)$.

- 1) Switch x & y
- 2) Solve for y

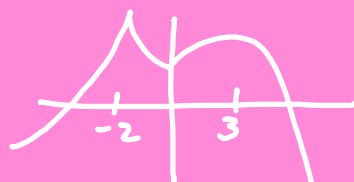
$$(2y-9)x = \frac{5y+1}{2y-9} (2y-9)$$

$$2xy - 9x = 5y + 1$$

$$2xy - 5y = 9x + 1$$

$$y(2x-5) = 9x+1$$

$$y = \frac{9x+1}{2x-5}$$

Inc $(-\infty, -2)$ $(0, 3)$ Dec $(-2, 0)$ $(3, \infty)$ Rel max $(-2, -)$ $(3, -)$ Rel min $(0, -)$ Abs max $(-2, -)$

Abs min none

Omit 8

Even (y-axis symm)

$$f(-x) = f(x)$$

Odd (origin symm)

$$f(-x) = -f(x)$$

$$f(x) = \frac{x^2+2}{x}$$

$$f(-x) = \frac{(-x)^2+2}{-x} = \frac{x^2+2}{-x}$$

$$= -\frac{x^2+2}{x}$$

Odd

10) Determine vertical, horz, or slant asymptote.

Vertical

Denom = 0

$$\boxed{x=2, x=-2}$$

$$f(x) = \frac{4x^2 + 2x - 1}{x^2 - 4}$$

$$(x+2)(x-2)$$

$$x = -2 \quad x = 2$$

Horiz

Use highest power term from top + bottom

$$\frac{4x^2}{x^2}$$

$$\boxed{y=4}$$

Slant

Numerator is one power higher than denom.

* Use long division

$$y = \frac{6x^2 - 2x + 1}{2x - 1}$$

$$\begin{array}{r} 3x + 1/2 \\ 2x - 1 \overline{) 6x^2 - 2x + 1} \\ \underline{6x^2 + 3x} \\ - 5x + 1 \\ \underline{-6x + 3} \\ - 2x + 1 \\ \underline{-2x + 1} \\ 0 \end{array}$$

$$\boxed{y = 3x + 1/2}$$

10(a) $y = \frac{x+5}{x^2-2x-3}$

Horiz $\frac{0x^2}{x^2}$

$$y = 0$$

Change signs →

Up $f(x) + c$
 Down $f(x) - c$
 Right $f(x - c)$ $y = \sqrt{x - 2}$
 Left $f(x + c)$ $y = \sqrt{x + 2}$
 Wider/Narrower $a f(x)$
 $y = 4x^2$

0	0
-1	1
2	4
3	9
	16
	25
	36

$-f(x)$
 $f(-x)$
 $y = -\sqrt{x}$ over x-axis
 $y = \sqrt{-x}$ over y-axis

0	0
-1	1
-2	4
-3	9

0	0
-1	1
-2	4
-3	9

13(b)

$$\sqrt{x+3} - \sqrt{2x+5} = 7$$

$$(\sqrt{x+3})^2 = (\sqrt{2x+5} + 7)^2$$

FOIL ↑