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## ALGEBRA II JOURNAL <br> Exponents and Roots

1. (a) A function is $\qquad$
$\qquad$ .
(b) You can determine whether the graph of a relation is a function by $\qquad$
$\qquad$ .
2. (a) An inverse function is created by $\qquad$ .
(b) Given the graph of the original function, you can determine whether its inverse will be a function by $\qquad$ .
3. (a) Given the graphs of two relations, you can determine if they are inverses of each other by
(b) Given the equations of two relations, you can determine if they are inverses of each other by
4. When working with expressions with exponents, you $\qquad$ change the base.
5. Variables or numbers with negative exponents $\left(x^{-3}\right.$ or $\left.2^{-1}\right)$ should be moved $\qquad$
$\qquad$ while variables or numbers in the denominator of a fraction with negative exponents $\left(\frac{3}{y^{-5}}\right.$ or $\left.\frac{1}{6^{-2}}\right)$ should be moved to $\qquad$ .
6. When working with a fraction raised to a negative power $\left[\operatorname{such} \operatorname{as}\left(\frac{2}{y^{2}}\right)^{-3}\right]$, the easiest way to deal with the negative power is $\qquad$ .
7. Numbers expressed in scientific notation should have a negative exponent if the number is $\qquad$
$\qquad$ and a positive exponent if the number is $\qquad$ .
8. When dividing numbers in scientific notation, all terms must be moved $\qquad$
$\qquad$ .
9. (a) If the Even-Even-Odd rule for simplifying radicals is true, you should add an $\qquad$ to an exterior variable which has an even $\qquad$ an even $\qquad$ , and an odd $\qquad$ _.
(b) Fill in numbers for the exponents in the problem below so that $x$ would NOT need an absolute value, but $y$ would need an absolute value in the final solution.
$\sqrt{x^{[\cdot} y^{[\cdot}} \cdot \sqrt{x^{[\cdot} y^{[\cdot}}$
10. To graph a square root or cube root, the T-table for $x^{2}$ or $x^{3}$ is altered by $\qquad$
11. (a) An exponent written as a fraction is called a $\qquad$ exponent.
(b) The expression $b^{\frac{x}{y}}$ can also be written as $\qquad$ .
12. Before you can multiply two radicals with different indices (such as $\sqrt[3]{x} \cdot \sqrt[5]{x}$ ) together, you must $\qquad$
$\qquad$ .
13. An expression with one radical inside another radical can be simplified as $(\sqrt[m]{\sqrt[n]{x}})=$ $\qquad$ .
14. When solving an equation containing TWO square roots:
(a) The first step is to $\qquad$ .
(b) In the second step you must square an expression such as $(\sqrt{x+3}-2)^{2}$ by $\qquad$ .
(c) The last step of the problem is $\qquad$ .
15. (a) An expression is in quadratic form if $\qquad$
(b) If an equation is in quadratic form, you should try to solve it by $\qquad$ using the exponent on the $\qquad$ term.
16. Power regression can be used to fit a curve to data which is shaped like vertical or horizontal
$\qquad$ and $\qquad$ .
17. List the following rules, facts, or formulas.
a) List the six rules of exponents.
b) Sketch the graph of each of the following: $y=x^{2}, y=x^{3}, y=\sqrt{x}, y=\sqrt[3]{x}$. Show the standard T-table for each.

