



PROPERTIES OF LOGARITHMS

$$log_{b}m + log_{b}n = log_{b}(mn)$$
 $log_{2}f + log_{2}g = log_{2}g^{2}$
 $log_{1}m - log_{b}n = log_{1}(\frac{m}{n})$
 $log_{b}m^{2} = p \log_{b}m$
 $2 + 3 = 5$
 $log_{7}7^{5} = 5 \log_{7}7'$
 $5 = 5 \cdot 1$
 $log_{7}(x+5) + log_{7}(x-3) = 2log_{7}3$
 $log_{7}7^{5} = 5 \log_{7}7'$
 $side$
 $(x+s)(x-3)$
 $log_{7}(x^{2}+2x-1s) = log_{7}3^{2}$
 $2)$ Exponentiets;
 $7log_{7}(x^{2}+2x-1s) = log_{7}3^{2}$
 $2)$ Exponentiets;
 $7log_{7}(x^{2}+2x-1s) = rg$
 $x^{2}+ax-1s = 9$
 $x^{2}+ax-1s = 9$
 $x^{2}+ax-1s = 9$
 $x^{2}+ax-24 = 0$
 $(x+6)(x-4) = 0$
 $x = 4$

 $\ln 4x \pm \ln 3 - \ln 6 = 3 \ln 4$ $\ln \left(\frac{4x \cdot 3}{6}\right) = \ln 4^{3}$ $\ln 2x = \ln 64$ $\log x - \log (x+3) = 1$ $\log\left(\frac{\chi}{\chi+3}\right) = 1$ $10^{\log_{10}\left(\frac{x}{x+3}\right)} = 10^{10}$ 2x = 64x = 32 $\frac{(x+3)}{x+3} = \frac{10}{1}$ $X = 10 \times + 30$ -30= 9X - 12 - X No solution

$$8^{X-2} = 1/7$$

$$\log 8^{X-2} = \log 117$$

$$(x-2)\log 8 = \log 117$$

$$\log 8$$

$$\chi = \log 117$$

$$\frac{Loq + plog!}{1) \text{ Add logs to}}$$

$$\frac{1}{2} \text{ Add logs to} \text{ both sides}}$$

$$\frac{1}{2} \text{ Plog exponent} \text{ dum front}}$$

$$\frac{1}{3} \text{ Solve for x.}$$

$$\frac{7e^{3x+5}}{7} = \frac{14}{7}$$

$$e^{3x+5} = 2$$

$$\ln e^{3x+5} = \ln 2$$

$$3x+5 = \ln (2)$$

$$8x = \ln (2) - 5$$

$$x = -1.44$$

 $\frac{\sqrt{81}}{\sqrt{81}} = \frac{\sqrt{81}}{\sqrt{81}} = \frac{\sqrt{81}}{\sqrt$