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## TRIGONOMETRY JOURNAL INVERSE TRIG FUNCTIONS AND TRIG EQUATIONS

1. a) An inverse trig function represents $\qquad$ .
b) When working with inverse trig functions, angles are always expressed in $\qquad$ .
c) When working with inverse trig functions, fourth quadrant angles are always expressed as
2. $\qquad$ and $\qquad$ are both notations for inverse cosine.
3. When the inverse trig function is capitalized, this indicates that $\qquad$
$\qquad$ should be used.
4. When working with inverse trig functions, an example problem that results in an angle as the answer is $\qquad$ while an example problem that results in a value as the answer is $\qquad$ .
5. The steps for solving an inverse trig equation are:
1) 
2) $\qquad$
3) 
6. What is the solution to an inverse trig equation if after Step 1 above, the following results: $\operatorname{Tan}^{-1} x=\frac{2 \pi}{3}$ ?
$\qquad$ Why?
7. When solving trig equations, the two situations that require you to check your answers are $\qquad$
$\qquad$ -
8. When solving a trig equation, why does your calculator give you the following answers when you ask it to find an angle?
$\sin x=-\frac{\sqrt{3}}{2}$ Answer: $-60^{\circ}$ (rather than $300^{\circ}$ ) $\qquad$ $\cos x=-\frac{\sqrt{2}}{2}$ Answer: $135^{\circ}$ (rather than $300^{\circ}$ ) $\qquad$
9. When solving trig equations, you should substitute in identities when you have $\qquad$
$\qquad$ or $\qquad$ .
10. (a) If a trig equation contains double angles, you should substitute in a double angle identity when $\qquad$ .
(b) If a trig equation contains double angles (or another multiple angle such as $3 x$ or $x / 2$ ), you should solve for angle $2 x$ and divide the answers by 2 when $\qquad$
$\qquad$ -
(c) In a problem like (b), why can you potentially have $4,6,8$ or more solutions? $\qquad$
11. List the following.
a) Quadrants where inverse trig functions are defined
